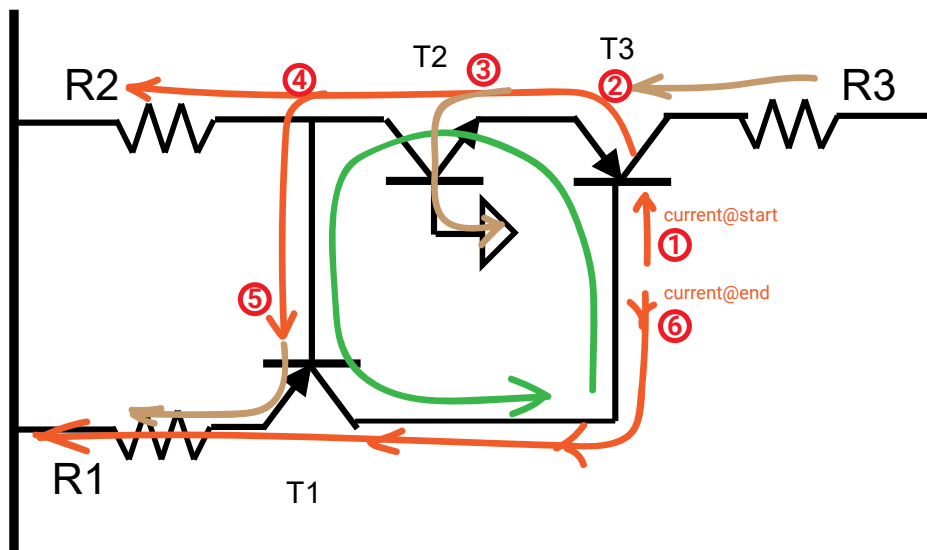






## Finding G\_loop



What happens next? We need to compute the *real gain* of the circuit, nobody likes living in perfect gains. To do this, we know from the feedback theory that the real transfer function of the circuit can be found using only two gains:  $G_{ideal}$  and  $G_{loop}$ . We already have the first one, we need to find the latter. The real gain would be  $G_{real} = G_{id} / (1 - 1 / G_{loop})$  with  $G_{loop} < 0$

Finding  $G_{loop}$  isn't always an easy task and requires a lot of exercise. That said, we can use everything we said earlier in our favor.

There are several (all correct) ways to compute  $G_{loop}$ , some are stupidly complicated, some require working by heart and be smart. We'll see later what being smart means on this circuit.

$G_{loop}$  is by definition the gain we found reconducing in some way a point of the loop to itself, covering all the loop backwards.

Ideal points to start compute  $G_{loops}$  in discrete circuits are: gates of MOSFETs (using voltages), bases of BJTs (using currents). Voltages for MOSFETs and currents for BJTs are a smart decision that can save a lot of time. We'll see why in this specific circuit.

Disclaimer: the following procedure takes into account that beta parameter of a BJT can go up to 300 (like in this case,  $\beta = 300$ ) so  $I_{emitter} = \beta * I_{base}$  instead of  $(\beta + 1) * I_{base}$ . Moreover, every constant or signal current/voltage generator has to be off. Input\_current will be then open.

Without further ado,  $G_{loop}$  is computed as the following:

①/ We start from T3 base, injecting an input current.

②/ That injected current will generate an emitter current  $I_{emitter3} = \beta * I_{injected}$

③/ The emitter current passes through the cascode

④/ The same current is divided between R2 and T1 equivalent base resistance.

Note that  $T1_{resistance} = \beta (1/gm + R1) \approx \beta * (R1)$  because  $R1 \gg 1/gm$  ( $1/gm$  is in the order of 25:100 ohm, while  $R1$  is several kohm)

⑤/ The current that flows into T1 base generates a current that is  $I_{emitter1} = \beta * I_{base}$

⑥/ We covered all the loop. Note that in the drawing the ending current is different from the original one by its sign. That means  $G_{loop}$  is negative, therefore we have negative feedback.

$$G_{loop} = -\beta \frac{R_2}{R_2 + \beta \left( \frac{1}{g_m} + R_1 \right)} \beta$$

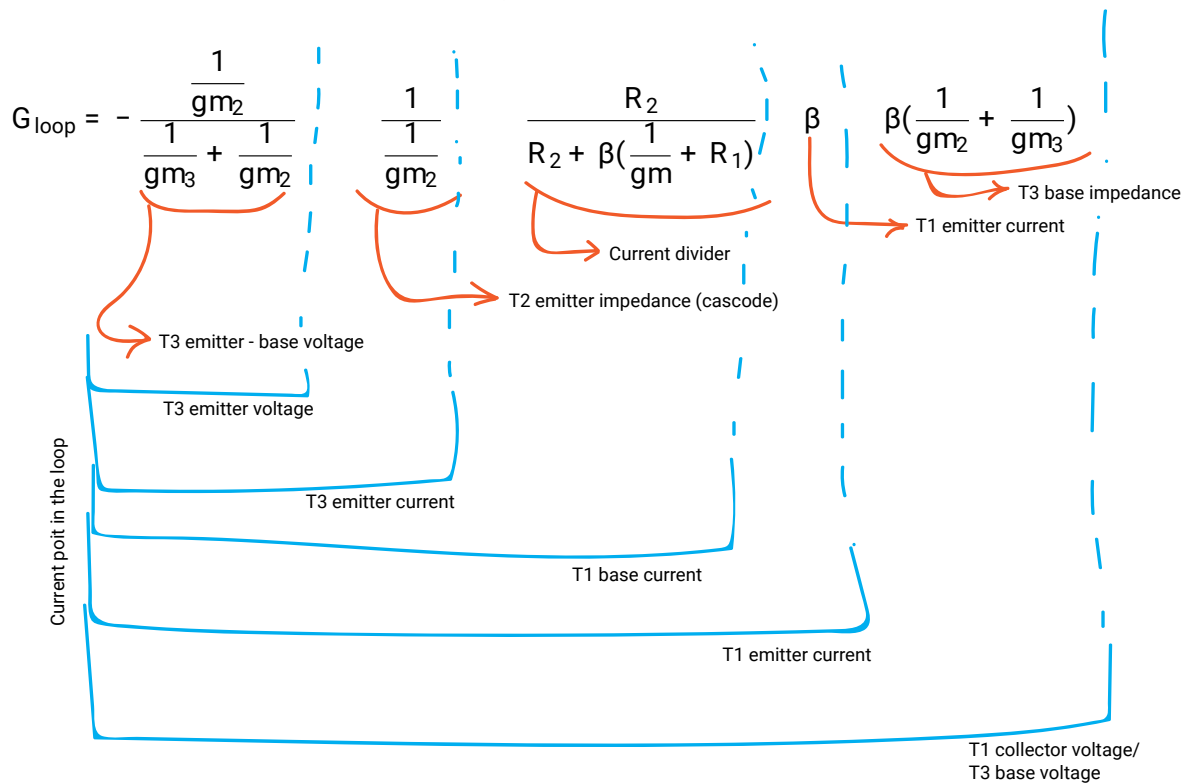
T1 emitter current

current divider between R2 and T1 base impedance

T3 emitter current

ending current has the opposite sign of starting current

Why is it stupid to start from a voltage and computing  $G_{loop}$  with voltages instead of currents when using BJTs? Let's see the following  $G_{loop}$  (procedure is kind of like the one earlier discussed but this time analyzing voltage gains):



This  $G_{loop}$  has been computed by forcing an input voltage on T3.

We then find that, after simplifying the equation, the second  $G_{loop}$  is exactly the same we calculated using currents.

This is good news because this means we nailed the computation two times in a row using different methods, or it means that we failed twice.

This second procedure shows how relations between currents, resistors and beta parameters are exactly the same, no matter the method chosen.

In fact, the  $G_{loop}$  of a negative feedback circuit is always the same (given the same approximations).

BJTs are current controlled, so it's intuitive to choose a current to calculate  $G_{loop}$ .

MOSFETs are voltage controlled instead, so it's obvious that we will have less trouble to apply voltages on the MOSFET gate.

If the circuit analyzed contains both MOSFET and BJT transistor, we should then move in a smart way with calculations to get currents on BJTs (so that we can simply multiply by beta) and voltages on MOS.

Hope this helps